$$
\begin{aligned}
& \text { MATHEMA } \\
& \text { MATH. PAC } \\
& \text { NAV. }
\end{aligned}
$$

# BUSINESS Pac. 1 

More features than other financial Calculators. ENGLISH VERSION

# THE 48 BUSINESS PAC ${ }^{\circ}$ 

A BUSINESS AND FINANCIAL APPLICATION PAC FOR THE HEWLETT-PACKARD 48SX/GX CALCULATOR.

## USERS MANUAL

## Contents

Notice ..... 1
The conventions used in this manual: ..... 2
Try it out ! ..... 3
A word about installing the $48 \mathrm{~B} \mathrm{Pac}{ }^{( }$. ..... 5
1 The Time Value Of Money (TVM) application. ..... 6
The TVM menu. ..... 8
Amortization. ..... 15
Programming with TVM. ..... 17
2 The Interest Conversion (ICONV) application. ..... 19
3 Cash-Flow Calculations (CFLO) ..... 22
4 The Bonds and Notes (BOND) application ..... 28
5 The Option Valuation (OPTIO) application ..... 36
6 The Probability Distributions (DISTR) application ..... 42
7 The regression analysis (REGR) application ..... 47
8 The Currency conversion (CURRX) application. ..... 55
9 Business Calculations (BUS) ..... 59
10 The Depreciation (DEPRC) application ..... 62
11 The Instalment Loan (INST) application ..... 65
12 The Time (TIME) application ..... 67
13 The Print (PRINT) application ..... 69
Appendix A: Equations used by the 48 Business Pac ${ }^{\text {© }}$ ..... 71
Appendix B: Variable management on the 48B. ..... 76
Registration ..... 77

## Notice

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## The conventions used in this manual:

- Keys on the keyboard are shown in bold italic uppercase letters in square brackets such as [ENTER], [SIN] and [ + ] except for numbers and the decimal separator.
- Shifted keys are shown [ $\leftarrow$ ] for yellow left-shifted keys and $[\rightarrow$ ] for blue right-shifted key choices. [ $\uparrow \overline{]}$ and $[\downarrow]$ denotes the UpArrow and DownArrow on the HP-48 keyboard.
- Menu labels seen in the lower part of the display relate to the top row keys of the keyboard and are all shown in uppercase letters in square brackets such as [TVM], [I\%YR] and [FV].
- Text in the display is shown in dot matrix such as Memory Clear.
- The division keytop is substituted by a [/] sign.

Installing and removing the 48 Business Pac ${ }^{\text {© }}$.
The Hewlett-Packard $48 S X / G X^{\mathbb{C}}$ is equipped with two ports for installing plug-in-cards. Please make sure you have read chapter 34 of your HP-48 Owner's Manual Volume II (SX) or 28-9 of the User's Guide (GX) before installing the 48 Business $\mathrm{Pac}^{(\mathbb{C}}$.

The HP-48 has 2 ports for plug-in-cards named port 1 and port 2. Port 1 is closest to the display and port 2 is closest to the back of the calculator. The 48 Business Pac© can be installed in either port.

## Caution!

You must turn off the calculator while you are installing or removing the 48 Business Pac ${ }^{\circledR}$ plug-in-card. Otherwise, all of the user memory could be erased !

Remember that the contents of the stack is lost when installing or removing a card, due to a system halt.

## Try it out!

We assume that you are familiar with the general use of the HP-48. If not, we suggest that you familiarize yourself with the use of it. A good start is going through part 1 of the Owner's Manual Volume I for the on the HP 48 SX or the User's Guide for the HP 48 GX.

The 48 Business $\mathrm{Pac}^{( }{ }^{\mathrm{C}}$ contains several main applications. The following example illustrates how to start and use an application. If you find yourself in trouble trying out the example, press [ATTN] and start over.

Example: Saving in the bank. You deposit $\$ 4,000$ on a new savings account that pays $8.4 \%$ annual interest, compounded semiannually. If you make no other deposits into the account, what time does it take for the account to have reached $\$ 7,000$ ?

Go to the home directory; [ $\rightarrow$ ]/HOME]. Clear the stack; $[\rightarrow]$ /CLR]. on the HP 48 SX or $[\leftarrow] / C L R]$ on the HP 48 GX. Set the number of decimals shown to 2 by pressing [ $\leftarrow$ ] [MODES] (plus [FMT] on the HP 48 GX ) 2 [FIX]. Then you press $[\alpha][\alpha]$ INSTALL and press [ENTER].

You are now ready to start the TVM application by:

1) Invoking the custom menu by pressing [CST].
2) Start the 48 Business $\mathrm{Pac}^{\circledR}$ application by pressing [START]* .
3) Start the TVM application by pressing [FIN] [TVM].

You will then see something like this in your display:


[^0]The first thing to do is to decide which mode to use, so you turn to menu page 2 by pressing [MORE]. Your display will then look similar to the one on the following page:


Press the menu key [ $\rightarrow$ ] [SETUP] to seiect the payment mode if it does not show END. Then you will have to key in the number of payments per year. You wani to use 2 payments per year, so you key in 2 and then press [\#PER] and [MORE] to turn to menu page 1 again.

Then you key in the other variables:


You then solve for the number of periods:
$[\leftarrow][N]$

| ( HoME \} | USEK |
| :---: | :---: |
| 4: |  |
| 3: |  |
|  |  |
| 1: | $N: 13.60$ |
| - Cl | Til EV [ |

It takes more than 13 half years (interest compounded semiannually) to achieve a balance of at least $\$ 7,000$. You find the balance after exact 7 years ( 14 half years):
$14[\mathrm{~N}][\leftarrow][\mathrm{FV}]$


## A word about installing the 48B Pac ${ }^{\ominus}$.

To save a lot of time and to speed up application access, a time saver is to be included in the CST variable in the home directory.

This is done by installing the application pac as follows:
Go to the home directory; [ $\rightarrow$ ] [HOME]. Clear the stack; [ $\rightarrow$ ] /CLR] on the on the HP 48 SX or $[\leftarrow]$ [CLEAR] on the GX .

Then you press [ $\alpha][\alpha]$ INSTALL and press [ENTER]. The application pac is now easily accessed by pressing [CST] and [START]. Whenever you want to start the 48B, you select [START] from the [CST] menu.

Another object; the CURRdir directory is also stored in your [VARJ menu if it's not there already. This is a directory for use with the currency conversion application which is now only accessible from within this directory as a default. To understand how to overrule this, and how to use the currency conversion application, read chapter 8; Currency Conversion.

It is very important to have SYMBOLIC EVALUATION mode set to ensure correct function of the 48 Business $\mathrm{Pac}^{( }{ }^{\mathbb{C}}$ application card. This is done by pressing [ $\rightarrow$ ] [MODES] ( [ $\leftarrow$ ] [MODES/ [MISC] on the on the HP 48 GX ). The menu label [SYMa] should contain a little square "ם" inside the label. If it's not there press the label once, and the little square will show up.

## 1 The Time Value Of Money (TVM) application.

The term "Time Value of Money" and the TVM concept describes calculations based on money earning interest over a certain period of time. Basically there are two different types of interest involved in TVM calculations:

1) Simple interest is a certain percent of the principal repaid in addition to a certain amount after a specified period. For example, if you borrow $\$ 100.00$ from a friend for a year, and he wants to be repaid with a $5 \%$ simple annual interest, you owe your friend $\$ 100+(\$ 100 * 5 / 100)=\$ 105$.
2) Calculations that take into account that the interest also earns interest when added to the principal at certain specified compounding periods, is called compound interest.

The TVM application contained in the 48 Business $\mathrm{Pac}^{\mathbb{C}}$, provides capabilities for compound interest and amortization calculations that determine the amounts applied toward the principal and interest in a series of payments.

A central point in understanding financial transactions is the use of cash flow diagrams (CFD's). A cash flow diagram is in fact a horizontal time line, divided into equal parts describing the compounding periods. Arrows pointing vertically represent the cash flows, with money received as a positive value with arrows pointing upwards, and money paid out as a negative value with arrows pointing downwards.

There are two different views of every transaction:
-The borrowers point of view and
-The lenders point of view.

The cash flow diagram following, describe the situation from the borrowers point of view;


And from the lenders point of view;


The Arrows also indicate whether the payments occur in the beginning or the end of the period. If the above diagram would have had payments in the beginning of the periods, it would have looked like this:


## The TVM menu.

The TVM menu works quite similar to the built-in SOLVE menu, and it works mainly as follows:

| To | Press | What happens |
| :--- | :--- | :--- |
| Store a value <br> from stack level <br> 1. | $[X]$ | If necessary creates variable in <br> VAR menu and stores value in <br> variable. |
| Solve for a value | $[\leftarrow][\mathrm{X}]$ | If necessary creates variable in <br> VAR menu, solves for value, and <br> stores value in the variable. |
| Recall a value | $[\rightarrow][X]$ | Recalls value of variable to stack. |

To turn back to page 1 of the TVM menu press [MORE] again. Observe that the TVM menu contains 10 more labels:


By pressing [ $\rightarrow$ ] [SETUP] you toggle between the payment modes, BEG and END. The one currently selected is displayed in the status area. To change to the other mode, press [ $\rightarrow$ ] [SETUP] again. Then you will have to consider the number of payments per year. If you want to use 2 payments per year, you key in 2 and then press [\#PER]. You can also toggle between the most used ones by pressing $[\leftarrow$ ] [SETUP]. The TVM menu works quite similar to the built-in SOLVE menu, and works mainly as shown in the following page:

| Label | What happens when pressed |
| :---: | :---: |
| [N] | Stores or (dependent of the previously pressed shift key) recalls or solves for the total number of payments. |
| [1\%YR] | Stores, recalls or solves for percent annual interest rate. (Nominal). |
| [PV] | Stores, recalls or solves for the present value. This is the cash flow on the initial time or the value of a series of future cash flows. PV always occurs at the beginning of the first period. |
| [PMT] | Stores, recalls or solves for the amount of each periodic payment. You cannot skip any payments and all the payments are the same amount. Payments are either in the beginning or in the end of each compounding period. |
| [FV] | Stores, recalls or solves for the future value. This is the final cash flow or the compounded value of all the previous cash flows. FV always occurs at the end of the last period. |
| [SETUP] | Show current setup in top of display. |
| [ $\leftarrow$ [ [SETUP] | Toggle between predefined number of payments per year. |
| [ $\rightarrow$ ] [SETUP] | Toggle between BEG and END modes, i.e. whether the payments occur at the beginning or end of each compounding period. Uses flag 62. |
| [\#PER] | Stores number in command line or stack level 1 as the number of payments per year. If blueshifted it recalls the number. Scimilar to [ $\leftarrow$ ] [SETUP]. |
| [TABLE] | Prompts for period from and period to (Two numbers) to amortize, and show the result in the MatrixWriter. |
| [AMOR] | Takes number in command line or stack level 1 to calculate an amortization. This is the interest, principal and remaining balance after the specified period. |
| [CLEAR] | Clears all the page one variables. |
| [MORE] | Turn to the next menu page. |
| [ - [MORE] | Views variables currently assigned values. |

All of the TVM calculations need 4 values to solve for the fifth. If a value is missing in your problem, it should be set to 0 .

Example: A car loan. You want to finance the purchase of a car with a 5 -year loan at $9.5 \%$ annual interest, compounded monthly. The car is priced at $\$ 15,450$. Your down payment is $\$ 2,700$. What will your monthly payments be ? The first payment comes due 30 days (a month) after purchase. The CFD* will look like this:


You change to the HOME directory after clearing the stack. Clearing the stack is not necessary but is here done for clarity purposes.
$[\rightarrow] / H O M E][\rightarrow] / C L R]$ on the HP 48 SX (or / $\leftarrow$ ] /CLEAR] on the GX), $[\leftarrow]$ [MODES] 2 [FIX] on the HP 48 SX or [ $\leftarrow$ ] [MODES] [FMT] 2 [FIX] on the HP 48 GX .

Start the TVM application by:

1) Start the 48 Business Pac© application by pressing [CST] [START]
2) Start the TVM application by pressing [FIN] [TVM]
3) Press [MORE].

Set the payments per year and the payment mode, you set the future value ( FV ) to 0 since the loan will be fully paid after 5 years.

12 [MORE] [\#PER] ([ $\rightarrow$ ] [SETUP] if BEG MODE is active) [MORE] 5 [ENTER] 12 [x] [N]
15450 /ENTER] 2700 /-I [PV] 9.5 [1\%YR]

0 [FV]
$[\leftarrow]$ [MORE]

[^1]Solve for the payment;
$[\leftarrow][P M T]$ and see the result:


Example: Mortgage loan with balloon payment. You have taken out a $\$ 80,400,25$-year house mortgage at $13.2 \%$ annual interest. You are planning to sell the house in 5 years, repaying the loan in a balloon payment. What amount is the balloon payment? To find out you have to calculate the value after 5 years of payments. We assume 12 payments per year.


First you check and store the payment mode, and number of payments per year.
$[\leftarrow]$ [MODES] (plus [FMT] on the $\frac{\text { Int Comp Monthly }}{\text { END MODE }}$ GX) 2 [FIX] [CST] [START] [FIN] [TVM] [MORE] [CLEAR] $[\rightarrow] / C L R](/ \leftarrow] / C L E A R J$ on the GX) 12 [\#PER] [ $\rightarrow$ ] [SETUP] until you see

You then store the other variables that are known, before calculating the monthly payment for the 25 -year mortgage.

To find the balloon payment you have to key in this result again to calculate with two decimal places rather than fractional cents.
918.91 / $+/$ / [PMT]


You then store the total number of payments made after 5 years and calculate the balloon payment by solving for FV;

S/ENTER] $12[x][\mathrm{N}][\leftarrow][F V]$ and see the balloon payment:

This completes the calculation.


Example: Leasing. You want to lease some machinery equipment for 3 years. The payment is $\$ 3,100$ a month. You have to pay $\$ 3,100$ at the beginning of the first period to replace the last payment. You are offered an option to buy the machinery after 3 years for $\$ 20,000$. If you were to borrow the same capital today you would have to pay $14 \%$ annual interest. You want to find the capitalized value of the lease; the present value (PV). We assume that there are 12 payments per year.

The CFD would look like the one on the next page:


You have to make 3 initial calculations to be able to find the final result;

First you will compute the present value for the 35 monthly payments which is the initial investment required to make the payments.

Secondly you add the advance payment, and finally you compute the buy option value which you add to the previous amount.

So you store the number of payments per year and then you set the modes to begin.

If your display already looks like the one shown or if you are familiar with the modes setting you can drop the initialization procedure we start with in the examples.
 HP 48 GX) 2 [FIX] [CST] [START] [FIN] [TVM] [MORE] [CLEAR] [ $\rightarrow$ ] /CLR] ( or [ $\leftarrow$ ] [CLEAR] on the on the HP 48 GX) 12 [\#PER] and press [ $\rightarrow$ ] [SETUP] until you see...

You then find the present value.
[MORE] 35 [N] 14 [I\%YR]
$3100 /+/-J$ [PMT] 0 [FV] $[\leftarrow][\mathrm{PV}]$


Then you add the advance payment:

3100 /+]

| \{ HOME \} | USEK |
| :---: | :---: |
| 4: |  |
| 3: |  |
| 2: |  |
| 1: | 92,7 |
|  |  |

and you find the present value of the buy option:

```
36 [N] 0 [PMT]
20000 /+/-] [FV] [\leftarrow] [PV]
```

| ¢ HIME \} | USEK |
| :---: | :---: |
| 4: |  |
| 3: |  |
| 2: | 92 |
| 1: | 131 |
| N- | TILE |

These sums are then added to get the final result:

## [+]

And you have completed the calculation.


The [TABLE] function let you compute a table of the selected period's

- NUMBER
- PAYMENT
- INTEREST and remaining
- BALANCE
in column 1
in column 2
in column 3
in column 4

All values show accumulated sums. The input prompt requires two numbers; the from period and the to period number.

## Amortization.

You can amortize using the AMORT function of the TVM menu to determine the amounts applied toward principal and interest in a payment. You can also do this in a series of payments.

- You first start the 48 Business $\mathrm{Pac}^{\left({ }^{\text {© }}\right.}$ application by pressing /CST], [START] and then start the TVM application by pressing [FIN] [TVM].
- After selecting begin or end mode you key in the number of payments per year if this number is different from the present one.
- You then store the values for I\%YR, PV, PMT and FV.
- Key in the number of payments to amortize and finally you amortize by pressing the [AMOR] key.

The results in your display are tagged as follows:
LEVEL 3: Amount of the payments applied toward principal.
LEVEL 2: Amount of the payments applied toward interest.
LEVEL 1: The balance after the payments so far are made.
An example: You have just got a 5 -year, $\$ 15,000$ loan at $13.25 \%$ annual interest compounded 4 times per year. What is the first year's payment applied towards principal and interest? We assume that the payments start at the end of period 1 . You first have to compute the payment:
[ $\leftarrow$ ] [MODES] (plus [FMT] on the HP 48 GX ) 2 [FIX] /CST] [START] [FIN] [TVM]
[MORE] [CLEAR] [ $\rightarrow$ ] /CLR] (or
$[\leftarrow] /$ CLEAR $]$ on the GX)
4 [\#PER] [ $\rightarrow$ ] [SETUP]
(until you see END) [MORE]
5 [ENTER] $4[x]$ [ N$] 13.25$ [1\%YR] 15000 [PV] 0 [FV] [ $\leftarrow]$
[PMT]

You then key in the number of periods to amortize, for instance 2 (for the first half year of the loan).
[MORE]
2 [AMOR]


To calculate the balance after the next 2 periods (half year) you store the new balance in PV, then compute the new amortization.
[MORE] [PV] [MORE] 2 [AMOR] Levels 1, 2 and 3 now display the new results for period 3 and 4;


If your results are not tagged when amortizing, you can switch the tagging on and off. You can do this by pressing [ $\rightarrow$ ] [LIBRARY] [BUSPA] [ $\leftarrow] / P R E V /$ (plus [ $\leftarrow$ ] [PREV]again on the GX). You will then see two of more menu labels called [TVMT] and [TVMD]. This is short for TVM Tag Amort results and TVM Don't Tag Amort results. These functions can be included in programs to let you control your output more easily. This leads to the next topic...

## Programming with TVM.

Most of the commands in the TVM library are programmable. These commands are:

| Press | Programmable <br> equivalent | What it does |
| :--- | :--- | :--- |
| $[T V M]$ | TVM | Displays the TVM menu. <br> $[T V M B]$ <br> TVMB <br> [TVME] <br> Sets flag 62. |
| TTVMR] | TVMR | Sets the payment mode to End. <br> Clears flag 62. |
| [AMOR] | AMORT | Solves for the specified TVM <br> variable given in level 1. Can solve <br> for any of N, I\%YR, PV, PMT or <br> FV variables as long as the four <br> others are given a correct value in <br> the VAR menu of the current or <br> one of the directories in the <br> PATH. Flag 62 decides the <br> payment mode to be used. (See <br> above). The answer is returned to <br> level 1. |
| [TVMT] | Uses the values of the TVM <br> variables (except N) in the VAR <br> menu of the current or one of the <br> directories in the PATH, to <br> perform amortization. Flag 62 <br> decides the payment mode to be <br> used. (See above). It takes the <br> number of payments from level 1, <br> returning the principal amount in <br> level 3, the interest amount in <br> level 2 and the remaining balance <br> in level 1. |  |
| TVMMD | Switches amortization results <br> tagging on. |  |
| TVMDT | Swithes amortization results <br> tagging off. |  |

- First you use TVMB or TVME to set the payment mode.
- You then store all known values of the TVM variables PER, N, I\%YR, PV, PMT or FV in the current or one of the directories in the PATH.
- Perform TVMR to solve for the unknown variable, or
- Use AMOR with a number for periods to make an amortization.


## Example program:


'PAYMENT' [STO]
The parameters you key in before you press [PAYM] in the [VAR] menu is (in this order):

Number of years [ENTER]
Present value [ENTER]
Interest per year [ENTER]
Payments per year [ENTER].

## Clearing the programmed TVM variables.

All the TVM variables are created in the VAR menu of the current directory when you use them in programmed calculations. To clear these programmed variables;

- You must delete them from the VAR menu by keying in any \{ N I\%YR PV PMT FV PER \} and pressing [ $\leftarrow$ ] [PURGE] .


## 2 The Interest Conversion (ICONV) application.

In most cases interest rates are stated as nominal interest rates. This means it is quoted as an annual rate that is compounded monthly, for example $18 \%$ per year, compounded 12 times a year (monthly). When investments that have different compounding periods are compared, effective interest rates are used to compare them. The effective interest rate is the annual rate that would produce the same interest rate compounded $P$ times per year.

The ICONV (interest conversion) menu is used to convert between effective and nominal interest rates. There are two methods of compounding:

- Periodic compounding, for example semi-annually or monthly.
- Continuous compounding.

To start you first go to the home directory; $[\rightarrow]$ [HOME]. Clear the stack; $[\rightarrow]$ /CLR].(or [ $\leftarrow$ ] /CLEAR] on the GX). Set the number of decimals shown, to for example 2, by pressing [ $\leftarrow$ ] [MODES] (plus [FMT] on the HP 48 GX) 2 [FIX].

Start the application by:

1) Getting the library menu by pressing /CST]
2) Start the 48 Business $\mathrm{Pac}^{( }$application by pressing [START]
3) Select the business menu by pressing [FIN]
4) Start the ICONV application by pressing [ICONV].

Your display will look like this:
The application is now started and the text in the top of the display indicates that the periodic compounding method is active.


If you want to change to continuous compounding method you just press [MORE] and your display will change a little


To convert between the nominal and effective interest rates the procedure is quite similar.

- Select the compounding method by pressing [MORE] .
- Key in the nominal (or effective) interest rate and press [NOM] (or [EFF\%] ). For periodic compounding, key in the number of periods per year and press [ N ].
- Then solve for effective (or nominal) annual interest rate by pressing [ $\leftarrow$ ] [EFF\%] (or [ $\leftarrow$ ] [NOM])

The values of the EFF\% and NOM\% are shared between continuous and periodic compounding menus.

Example: Converting between compounding interest rates. You plan to open a savings account. The three local banks have different offers:

XX Bank: 8.5\% annual interest, compounded quarterly.
YY Bank: $\quad 8.45 \%$ annual interest, compounded monthly.
ZZ Bank:
8.45\% annual interest, compounded continuously.

Which is the better?
To start you first go to the home directory; $[\rightarrow]$ [HOME]. Clear the stack; $[\rightarrow]$ /CLR/(or [ $\leftarrow$ ] [CLEAR] on the GX) Set the number of decimals shown, to for example 2, by pressing [ $\leftarrow$ ] [MODES] (plus [FMT] on the HP 48 GX) 2 [FIX].

Start the application by:

1) Getting the library menu by pressing /CST]
2) Start the 48 Business $\mathrm{Pac}^{\mathbb{C}}$ application by pressing [START] [FIN]
3) Start the ICONV application by pressing [ICONV].
8.5 [NOM] (the nominal interest rate in

XX Bank). 4 [ N ] Stores the number of compounding periods per year. [ $\leftarrow$ ] [EFF\%] calculates the effective interest rate for XX Bank.


You then start with YY Bank:
8.45 [NOM] (the nominal interest rate in YY Bank). 12 [N] Stores the number of compounding periods per year. [ $\leftarrow$ ] [EFF\%] calculates the effective interest rate for YY Bank.


You then change to continuous compounding; [MORE] and since the percent value is the same in the third bank, and the contents of the NOM\% variable is unchanged, you only have to solve for the effective interest rate:
$[\leftarrow] \quad[E F F \%$ ] calculates effective interest rate for ZZ Bank.

| \{ hame \} | USEK |  |
| :---: | :---: | :---: |
| 4: |  |  |
| 3: | EFF | : 8.77 |
| 2: | EFF : | . 8.79 |
| 1: | EFF | . 8.82 |
| NTM PEF |  | \|r.ance |

As you can see $Z Z$ Bank has the better offer.

## 3 Cash-Flow Calculations (CFLO)

The cashflow calculations menu (CFLO) is mainly used to solve financial problems where cash flows occur at regular intervals, but are of varying amounts.

When you have stored the amounts you can calculate

- The internal rate of return.
- The net present value.

You can also plot the net present value of the cash flows against their interest rate of return, and you can display the cash flows as a bar graph.

The cash flow menu is selected by pressing /CST] [START] [FIN] [CFLO]. The menu labels in this menu is as follows;

| Press | What it does |
| :--- | :--- |
| [NEW] | Stores new cash flows from the stack in VAR <br> menu variable CFLW. The stack must contain <br> Cashflows only. |
| [EDIT] | Edits the current contents of the CFLW variable <br> (if present) in the MatrixWriter environment. |
| [CALC] | Calculates Internal Rate of Return (IRR\%) or Net <br> Present Value (NPV) dependent of the current <br> contents of the CFLW variable and the interest <br> rate keyed in. |
| [PLOT] | Plots Net Present Value against the Internal Rate <br> of Return. |
| [BAR] | Display all the cash flows in CFLW variable as a <br> bar graph. |

Example: A short term investment. A three year investment in a new machine in your factory looks like this in a cash flow diagram: A $\$ 9000$ price tag gives a $\$ 4000$ profit each year for three years.

Displayed as a CFD:


When the cash flow menu is selected by pressing [CST] [START] [FIN] [CFLO], you are ready to key in the cash flows:

## 90 [+/-J [SPC] 40

[SPC] 40 [SPC] 40

| \{ HIME \} | USEK |
| :---: | :---: |
| 3: |  |
| 2: |  |
| 1: |  |
| -90 404040 |  |
| IEXI ${ }^{\text {ET }}$ | OI/ IM |

When you now press [NEW] the flows are stored in a variable in the VAR-menu called CFLW. As long as this variable exists in the current directory or path you can edit it by pressing the [EDIT] key.

Try it out and see this display:

Oops! -90 instead of -9000.


Now lets change the flows to the right magnitude. Press the [GO $\downarrow$ ] menu key until it contains a little square. This tells the cursor to edit the sums from the top towards the bottom. You then key in

9000 [+-] [ENTER] 4000 [ENTER] 4000 [ENTER] 4000 [ENTER] and then [ENTER]. You have now corrected all the flows to be: 900040004000 and 4000, and you are ready to calculate the internal rate of return and the net present value.

Press [CALC] and the display will show the following message


To calculate the IRR (Internal Rate of Return) you just have to press [ENTER].

After a few moments the IRR value is returned

| ¢ HIME \} | USEK |
| :---: | :---: |
| 4: |  |
| 3: |  |
| 2: |  |
| 1: | $\text { IRR号: } 15.89$ |
| [NEM ETIT |  |

You then want to calculate the net present value of the investment, given that you have to pay the bank a $12 \%$ annual interest on a $\$ 9000$ loan.

You press [CALC] again and then key in the interest rate 12 and press [ENTER] and the net present value is returned to the stack:


When a cash flow is discounted, it is slid toward the beginning of the time-line and adjusted to compensate for the periodic interest rate. As a matter of fact any cash-flow can be moved to any time period on the cash flow diagram (CFD), as long as it is correctly adjusted to compensate one way or the other for accumulated interest. The figure following shows a $\$ 102.01$ payment being discounted one period at a time using an interest rate of $1 \%$ per period:


The numbers above were chosen specifically to simplify the explanation of discounting cash flows ( $1 \%$ of 100 equals 1 , and $1 \%$ of 101 equals 1.01). If you discount a cash flow to the beginning of the time-line, you are essentially calculating its present value. The discounting process is always similar to the one shown here. The problem is generally that the numbers don't work out so nicely.

The NPV (Net Present Value) function finds the present value of each of the cash flows and thereafter sums them. To calculate the net present value you have to key in the periodic interest rate like you did above.

The IRR function calculates the interest rate required to give a net present value that equals zero.

Our example investing in a piece of machinery states that given a yearly $\$ 4000$ profit for three years, the capital cost of the loan have to be less than $\$ 607.33$ to give you a overall profit.

## A general description of IRR.

The internal rate of return gives the periodic interest rate in the calculation that gives a net present value equalling zero. This means that if your capital cost is less than the IRR\%, the investment generally gives a profit. IRR returns a solution only when there are one shift of sign in the cash flows and the sum of all the cash flows is a positive number. If there are more than one shift of sign in the cash flows, there are more than one solution, all being equally mathematically relevant.

Remember that the IRR function calculates the periodic interest. To calculate the annual nominal interest when the cash flows are monthly, you have to multiply the IRR value by 12 .

Example: An investor places $\$ 80,000$ in a company expecting a profit as shown in the following CFD:


Calculate NPV and IRR of the cash flows using a $10.5 \%$ annual interest.

First you key in the cash flows after invoking the application by pressing /CST] [START] [FIN] [CFLO].

Then you key in the values;
80000 [+/-] [SPC] 5000 [SPC] 4500 [SPC] 5500 [SPC] 4000 [SPC] 115000 [SPC] [NEW]. Then you press [CALC] and [ENTER] to calculate IRR. To calculate NPV you press [CALC] again and key in 10.5, which was the annual interest, before you continue the calculation program by pressing [ENTER].

The results are then displayed as:


What if: To calculate any what ifs you start by pressing [EDIT]. If you have to alter the cash flows then you re-enter the new values and press [ENTER] to store the altered value and press [ENTER] again to end edit mode, or you press [CALC] if you plan to alter the periodic interest rate.

If, in the above case, the fourth cash flow is reduced to $\$ 1000$, you do the following:

Press [EDIT] to invoke MatrixWriter to edit the flows. Then you press [ $\downarrow$ ] four times to reach the right flow and you press 1000 so that the display shows:

You then press /ENTERJ to store this sum and press[ENTER] again to end editing.


If you by any chance change your mind and want to stop editing, or don't want to store the changes you have keyed in while in the editor environment, just press [ATTN] to quit editing and leave the list as it was when you started off.

You now press [CALC] to calculate the new values, the press [ENTER] without keying in anything to calculate the new IRR and you will see

IRR\%: 11.33 in the display.
Then press [CALC], and key in the interest rate 10,5 and press [ENTER] to calculate the new NPV; NPV: 2762.43.

To demonstrate the use of the plotting application, consider the following unusual cashflows:

| Flow\# | Times occuring | Cash flow (\$) |
| :--- | :--- | :--- |
| 0 | 1 | $-180,000.00$ |
| 1 | 5 | $100,000.00$ |
| 3 | 5 | $-100,000.00$ |
| 4 | 9 | 0 |
| 5 | 1 | $200,000.00$ |

To key in the flows you do the following: 180000 [+/-] [SPC] 100000 [ENTER] 5 [SPC] [ $\alpha$ ] [ $\alpha$ ] NDUP [ENTER] 100000 [+/-] [SPC] 5 [SPC] [ $\alpha$ ] [ $\alpha$ ] NDUP [ENTER] 0 [SPC] [ $\alpha][\alpha]$ 9/SPC] NDUP [ENTER] 200000 [ENTER].

You then press [NEW] to store the new list. To see the plot you then press [PLOT] and then you key in 0 [SPC] 30 to see the interest range from zero to $\mathbf{3 0 \%}$. You then press [ENTER] to plot.

After a few moments your display will look something like this:

To leave the plot environment and return to the ordinary stack, press
 [ATTN].

As you can see the function curve crosses the horizontal axis three times. This means that there are three roots (solutions) to the investments. The net present value and not the internal rate of return must be used to calculate an answer based on your capital cost.

The last menu label of the CFLO menu is the [BAR] plot. If you press it while cash flows of the last example is still present, your display will look something like this:

The cash flows are shown as vertical bars with lengths relative to their value. This function can also be used with statistical data, if they are stored in the CFLW variable with [NEW].


## 4 The Bonds and Notes (BOND) application

The 48B card comes with an application to calculate the yield to maturity (price of a bond) ${ }^{*}$, yield to call on a coupon date and accrued interest. Bonds are expressed as a percentage of face value, e.g. a price of 88 means that a U.S. Treasury bill with a face value of $\$ 10000$, is priced to $\$ 8800$.

Some of the terms used in the application:

- Yield: The interest paid to the holder expressed as a percentage of the face amount
- Yield to maturity: The yield of a bond to maturity takes into account the price discount from, or premium over the face amount. It is greater than the current yield when the bond is selling at a discount and less than the current yield when the bond is selling at a premium.
- Accrued interest: Interest accrued on a bond since the last interest payment was made. The buyer of the bond usually pays the market price plus accrued interest.
- Maturity: The date on which a bond comes due and is to be paid off.
- Calendar basis: Actual/Actual (days per month/days per year). Interest is paid on the basis of an "actual" calendar. 30/360 ( 30 days per month/360 days per year). Interest is paid on the basis of a 360days calendar. Please refer to the end of this chapter for a guide to most bond types or contact your dealer.

[^2]To start the BOND application you do the following:

1) Start the 48 Business $\mathrm{Pac}^{( }{ }^{\text {C }}$ application by pressing [CST] [START].
2) Start the BOND application by pressing [FIN] [BOND].

You will see two status messages in the upper left corner of the display, indicating the current settings:

The BOND menu works as follows:

| Key | What it does |
| :--- | :--- |
| $[$ TYPE $]$ | Displays Current Bond setting |
| $[\leftarrow][T Y P E]$ | Toggles between 30/360 and actual/actual calendar |
| $[\rightarrow][T Y P E]$ | Toggles between Annual and Semi-annual Interest <br> compound |
| $[$ SETT] | Stores ([ $\rightarrow$ ] recalls) the settlement date usingt the <br> current date format. (See Owners Manual page <br> $441)$ |
| $[\mathrm{MAT}]$ | Stores ([ $\rightarrow$ ] recalls) the maturity date using the <br> current date format |
| $[\mathrm{CPN} \mathrm{\%}]$ | Stores ([ $\rightarrow$ recalls) the annual coupon rate |
| $[\leftarrow][\mathrm{MORE}]$ | Displays the currently assigned values for SETT, <br> MAT CPN\%, CALL and PRICE |
| $[\mathrm{CALL}]$ | Stores ([ $\rightarrow$ ] recalls) the call price per 100 face <br> value. This is set to 100 by default |
| $[\mathrm{YLD} \mathrm{\%}]$ | Calculates (stores or recalls) the yield to <br> maturity. The result is expressed as an annual <br> percentage. |
| $[$ PRICE] | Calculates (stores or recalls) the price per 100 <br> face value |
| $[$ ACCRU] | Calculates the interest accrued from the last <br> coupon date until the settlement date per 100 face <br> value. |
| $[C L E A R]$ | Clears all variables in the BOND menu |

## Bond calculations

1) Start the BOND application by pressing [FIN] [BOND].
2) Define the type of bond you want to make calculations on:
[ $\leftarrow$ ] [TYPE] toggles between actual/actual calendar (A/A)
and $30 / 360$ calendar ( $30 / 360$ )
[ $\rightarrow$ ] [TYPE] toggles between ANNUAL and
SEMIANNUAL interest periods.
3) Enter the settlement (purchase) date (DD.MM.YYYY or MM/DD/YYYY) by pressing [SETT].
4) Enter the maturity date by pressing [MAT].
5) Enter the coupon rate expressed as an annual percent by pressing [CPN\%].
6) Enter the call value of the bond by pressing [CALL]. This is only neccesary when the call value differs from 100.
7) To calculate yield: Enter the price by pressing [PRICE], and press [ $\leftarrow$ ] [YLD\%]
8) To calculate the price: Enter the yield by pressing [YLD\%], and press [ $\leftarrow][$ PRICE]
9) To calculate accrued interest: Calculate one of the above, and press [ $\leftarrow$ ] [ACCRU]

Example: A U.S. Treasury Note. Jack Pratt is considering the Bond market a good opportunity for investments. At March 20, 1992 he is offered 5\% U.S Treasury notes maturing December 11, 2000. How much should Jack pay if he requires a yield of $7 \%$ ?.

The U.S. Treasury Notes earns interest semi-annually on the basis of an actual calendar.

## KEYS

[FIN] [BOND]
20.031992
[SETT] SETT:FRI 20.03.92
11.122000
[MAT] MAT: MON 11.12 .00

## DESCRIPTION Type Matches, no changes needed.

Stores the settlement date. (DD.MMYYYY)

Stores the maturity date.

| 5 [CPN\%] | CPN\%:5.00 |  |  | Stores the annual coupon rate |
| :---: | :---: | :---: | :---: | :---: |
| [MORE] | A/A | A SEMIANNUAL |  | Changes menu page |
| 7 [YLD\%] | YLD\%!7.00 |  |  | Stores desired yield. |
| $[\leftarrow]$ [PRICE] | 1: | PRICE: | 87.09 | Calculates the price per \$ 100 face value |
| $[\leftarrow][$ ACCRU] |  | PRICE: | 87.09 |  |
|  |  | ACCRU: | 1.37 | Interest owed to the seller |
| + |  | 88.46 |  | Calculates the net price. |

Example 2: U.S Treasury Notes cont. Encouraged by his calculations, Jack calls up his dealer. He is informed that the note is currently selling at a price of 90 . What is the annual yield ? (This example assumes no changes have been made since example 1.)

| KEYS | DISPLAY | DESCRIPTION |
| :--- | :--- | :--- |
| 90 | PRICE: 90.00 | Stores the market <br> price |
| $[\leftarrow][Y L D \%]$ | $1: Y L D \%: 6.52$ | Calculates yield to <br> maturity. |

Example 3: Yield of a Zero-Coupon Bond. Jack Pratt, still keen on investing in bonds, calls up his cousin. He is informed of the splendid opportunities offered by MAGNA Inc. On November, 20 1992 he is offered a MAGNA Inc. discount note at price 96.5. The note matures on May, 15 1993. What is the yield to maturity ?

MAGNA Inc. discount notes earns no interest, but are discounted on a 360 days basis.

| KEYS | DISPLAY | DESCRIPTION |
| :--- | :--- | :--- |
| $[\leftarrow][$ TYPE $]$ | $30 / 360$ SEMIANNUAL | Sets the right <br> calendar |



| [MORE] | A/A SEMIANNUAL | Changes menu page |
| :--- | :---: | :--- |
| 108 PRICE: 108 | Stores the current <br> price |  |
| $[\leftarrow]$ [YLDE] | 1:YLO\%: 8.93 |  |
| Notes on the BOND program |  |  |

The program uses "user-flags" to construct the proper bond type.
User flag 61 : Annual (clear)
Semi-annual (set)
User flag 60: Actual calendar (clear) $30 / 360$ calendar (set)

The program will not accept an "invalid" date. That is, if you try to enter a nonexistent date, (February 29, 1991 or April 31, 1992) the program will return an error message indicating this. Also, the program will report an error if the maturity date proceeds the settlement date.

The "end-of-month" convention is used to determine coupon dates in some exceptional cases. This affects calculations for YLD\%, PRICE and ACCRUed interest.

> If the maturity date falls on the last day of the month, the coupon date also fall on the last day of the month.

If the maturity date of a semi-annual bond falls on august 29 or 30, the February coupon payment dates fall on the last day of February.

The program will not accept "symbolic" arguments. Any attempt to enter this, will result in an error.

The results obtained from this program should be considered estimates. The program does not take into account other information than what is obtained from the user.

When using the program, the user should bear in mind the influence of factors such as:

- An always changing rate of interest.
- The risk structure of bond yields.
- Tax Issues.

Some bonds solved on the 48B:
Note: The information below should serve as guidelines only. Consult a bond dealer for more detailed information. The list is not all inclusive.

## 30/360 Bonds, Semi-Annual Coupon Payments

-State, Municipal and Local Government
-Zero-coupon bonds
-Tax supported bonds
-Revenue bonds
-Revenue supported bonds
-Assessment supported bonds

- Special supported bonds
-Federal agency instruments
-Corporate bonds*
-Certificates of deposit with periodic interest
-Inter-American Development Bank bonds
-International Bank for Reconstruction an Development bonds
-Commodity Credit Corporation (CCC) bonds
-Export-Import Bank (Ex-Im) certificates
-Federal Home Loan Bank (FHLB) bonds and notes
-Federal Intermediate Credit Bank (FICB) debentures if coupon interest is paid periodically
-Federal Land Bank (FLB) bonds
-Federal National Mortgage Association (FNMA) bonds
-General National Mortgage Association (GNMA) bonds and participation certificates.
-New Communities Act debentures
-U.S Postal Service bonds
-Tennessee Valley Authority bonds
- Merchant Marine Bonds

[^3]
## Actual/Actual, Semi-annual coupon payments

-Treasury Bonds and Notes
-Federal Agency Issues
-Farmers Home Administration (FHDA) insured notes
-Federal Housing Administration (FHA) debentures

## 5 The Option Valuation (OPTIO) application

The 48B Pac contains an application to calculate the value of a put and a call option. The application uses the Black and Scholes option valuation model.

Some of the terms used in the application:

- Option: A right to buy (call) or sell (put) a fixed amount of a given stock at a specified price within a limited period of time. The buyer hopes that the stock's price will go up (if he bought a call) or down (if he bought a put) by an amount sufficient to provide a profit greater than the cost of the contract. If the stock price holds steady or moves in the opposite direction, the price paid for the option is lost entirely.
- Volatility: In order to use the application you need to know the standard deviation of the rates of return for the underlying stock. This number is in general not available, but can be estimated by sampling stock prices over a uniform time interval.

An American option can be exercised before or at maturity while a European option must be exercised at a given future date.

## A few notes on options

Assuming no dividends on the underlying stock, the value of a call increases with time to maturity. Hence, an American call will always carry the same price as a European call. The same is not true for an American put, and the Black and Scholes model will in general underestimate the price of an American put.

The Black and Scholes model assumes that no dividends are paid on the underlying stock. Here are two ways to overcome this assumption.

In the case of a European call, simply calculate the net present value of the future dividends, and subtract this from the current stock price. If dividends are sufficiently large, it can pay to exercise an American call before maturity. The following procedure has been suggested to work around this complication;

1) Calculate the net present value of the future dividends, assuming the option is held to maturity, and deduct this number from the current stock price.
2) Substitute the maturity date with the last ex-dividend date, and calculate the value of the call .
3) In the same way, you can calculate the Black Scholes values for all the other ex-dividend dates.

The information entered in the application must be consistent in time, that is, if the standard deviation of the underlying stock is based on monthly observations, the period to strike and the risk free interest must also be expressed in months.

To start the OPTION application you do the following:

1) Start the 48 Business $\mathrm{Pac}^{\mathbb{C}}$ application by pressing /CST] [START].
2) Start the OPTION application by pressing [FIN] [MORE] [OPTIO].

The menu labels in this display is explained as follows:

| Key | What it does |
| :--- | :--- |
| $[$ PRICE $]$ | Stores ([ $\rightarrow$ ] recalls) current stock price |
| $[$ STRI $]$ | Stores ( $[\rightarrow]$ recalls) the striking price |
| $[$ YLD\% $]$ | Stores ( $[\rightarrow]$ recalls) the risk free interest rate as a <br> percentage |
| $[$ TIME $]$ | Stores ( $\rightarrow]$ recalls) the time period to maturity |
| $[$ STDE $]$ | Stores ( $[\rightarrow]$ recalls) the standard deviation of the <br> returns for the underlying stock |
| $[$ MORE $]$ | Selects next menu page |
| $[\leftarrow][$ MORE $]$ | Displays the currently assigned values for PRICE, <br> STRIKe,YLD\%, TIME and STDEviation |
| $[\leftarrow][\mathrm{CALL}]$ | Calculates the value of the call |
| $[\leftarrow][P U T]$ | Calculates the value of the put |
| $[C L E A R]$ | Clears all variables in the option menu |

## To perform option calculations

1) Display the OPTION menu by pressing [FIN] [OPTIO]
2) Enter the current stock price and press [PRICE]
3) Enter the striking price and press [STRI].
4) Enter the risk free interest rate, and press [YLD\%].
5) Enter the period of the option and press [TIME]
6) Enter the standard deviation of the returns and press [STDE].
7) Press the [MORE] key.
8) To calculate the premium of the call, press $[\leftarrow][\mathrm{CALL}]$
9) To calculate the premium of the PUT, press [ $\leftarrow]$ [PUT]

Example 1: The value of a call. A RAMP Inc. $\$ 60.00$ option is presently selling at $\$ 12.00$. The market price for a RAMP Inc. stock is $\$ 68.00$, and the yield of U.S. Treasury bonds is $12 \%$ per year. The length of the call is 300 days. You call up your good friend Merlin, who tells you that the monthly standard deviation of RAMP Inc. stock is 0.3 . Calculate the value of the call.

KEYS DISPLAY
[FIN] [OPTIO]
menu
68 [PRICE] PRICE: 68.00
stock
60[STRI] STRIKE: 60.00
price
$12 \quad 12$
[/] [YLD\%] YLD\%:1.00
risk
300365 [/]
$12[x]$ [TIME] TIME: 9.86
the
0.3 [STDE] S: . 30
[MORE]
$[\leftarrow][C A L L] \quad$ CALL: 29.57

DESCRIPTION
Select the Option

Stores the current price.

Stores the striking

Stores the monthly free interest rate.

Stores the length of call (in months).

Stores the standard deviation

Selects next menu page
Calculates the value of the call.

Example 2: The value of a call without the standard deviation. After having made a bundle on the RAMP Inc. investment, you are encouraged to persuade the option market.. Your friend Merlin, now currently employed by Merryl Lynch, has decided to charge you ( a lot) for his information, and is therefore of no help to you. In the financial section of your local newspaper you find the following information: An Hewlett Packard \$ 50.00 call option is selling for $\$ 10.00$. The current stock price is $\$ 50.00$, and you can get $10 \%$ interest on U.S. Treasury bills. The option matures in one year. You have tracked down the monthly closing stock prices for 20 months:

| Month | Price |
| :---: | :---: |
| 1 | 50 |
| 2 | 52 |
| 3 | 53 |
| 4 | 54 |
| 5 | 55 |
| 6 | 58 |
| 7 | 55 |
| 8 | 52 |
| 9 | 50 |
| 10 | 47 |
| 11 | 48 |
| 12 | 50 |
| 13 | 52 |
| 14 | 55 |
| 15 | 48 |
| 16 | 47 |
| 17 | 50 |
| 18 | 51 |
| 19 | 52 |
| 20 | 50 |

Step 1) Calculate the standard deviation of returns for the prices.
The easiest way to do this, is to write a program: The program takes a $\{\mathrm{Nx} 1\}$ array from stack level 1 and calculates the returns.

The return of the stock is given by:

$$
\left(\text { price }_{t}-\text { price }_{t-1}\right) / \text { price }_{t-1}
$$

where $t$ denotes month $1,2 \ldots, 20$

'RETURNS' STO
Step 2. Enter the monthly closing stock prices:


50 [ENTER]
[ $\leftarrow$ ] [/] 20 /SPC/1 [ENTER]
[PRG] [OBJ] (or [TYPE] on the on the HP 48 GX)
$[\rightarrow$ ARR] $1:$ [ [ 50...] Put the prices in an Array

## [']

$[\alpha][\alpha]$
HP. PRICE
[ENTER] [STO]
Enter $\alpha$-mode
Store the array
[VAR] [HP.PRICE] [RETUR]
$[\leftarrow][S T A T]$ (plus [1VAR] on the GX) Select the STAT menu
[NXT] (not on the GX)

Evaluate the program

Select next menu page
[SDEV]
[CST] [START]
[FIN] [MORE] [OPTIO]


| [MORE] [CLEAR] | 1: 0. |  |  | Clear all variables |
| :---: | :---: | :---: | :---: | :---: |
| [MORE] [STDE] | STDEV | 0.05 |  | Store the Standard deviation |
| 50 [STRI] | STRIKE: | 50.00 |  | Store the striking price |
| 50 [PRICE] | PRICE | 50.00 |  | Store the current price |
| 12 [ TIME] | TIME | 12.00 |  | Store the time to maturity: |
| $\begin{aligned} & 1012 \text { [/] } \\ & \text { [YLD\%] } \end{aligned}$ | YLD\% | 0.83 |  | Store the risk free interest rate |
| Enter [ $\leftarrow$ ] [M |  |  |  |  |
| Your display sh | Id look lik |  |  |  |
| [MORE] <br> $[\leftarrow]$ [CALL] | 1: CALL | 6.39 |  | Calculate the value of the call which completes the calculation. |

1: 0.05
[MORE]

## [MORE]

$[\leftarrow]$ [CALL]

1: CALL: 6.39

Calculate the standard deviation
[CST] [START]
[FIN] [MORE] [OPTIO]

## 6 The Probability Distributions (DISTR) application

The DISTRibution menu lets you calculate point- and interval probabilities for some "common" probability distributions.

The table below gives an overview of the distributions available on the 48 B .

| Distributio <br> n | Example of application |
| :---: | :---: |
| Binomial | The frequency in n independent trials has a binomial distribution. Probability in each trial $=p$ |
| Geometric | The number of required trials until an event with probability p occurs has a geometric distribution |
| Poisson | Distribution of number of points in random point process under certain simple assumptions. Approximation to the binomial distribution when $n$ is large and $p$ is small. |
| Hypergeometric | This distribution is used in connection with sampling without replacement from a finite population with elements of two different kinds. |
| Normal | Under general conditions, the sum of a large number of random variables is approximately normally distributed. |
| Chi-square | Distribution of $u_{1}{ }^{2+u_{2}}{ }^{2+} . . u_{r}{ }^{2}$ where $u_{1}, u_{2}, \ldots u_{r}$ are independent, and have a normed normal distribution |
| Student-t | Distribution of $u /(X / r)^{1 / 2}$ where $u$ and $X$ are independent, $u$ has a normed normal distribution and $X$ has a chi-square distribution with $r$ degrees of freedom |
| Fischer | Distribution of $\left(\mathrm{X}_{1} / \mathrm{r}_{1}\right) /\left(\mathrm{X}_{2} / \mathrm{r}_{2}\right)$ where $\mathrm{X}_{1}$ and $\mathrm{X}_{2}$ are independent and have a chi-square distribution with $r_{1}$ and $r_{2}$ degrees of freedom |

## Probability calculations

To start the application, press /CST] [START] [SUM] and [DISTR].
The program has two menu pages; Page 1 covers the discrete distributions. Page 2 covers the continuous distributions.

If you want a point estimate, that is $\mathrm{P}[\mathrm{X}=\mathrm{x}]$, simply enter the arguments (see below) and press the key for the appropriate distribution.

If you want an interval estimate, that is $\mathrm{P}[\mathrm{X} \leq \mathrm{x}]$, enter the arguments and press $[\leftarrow]$ and the key for the appropriate distribution.

## Distributions:

## The binomial distribution.

| To <br> calculate | $P[X=x]$ | $P[X \leq x]$ |
| :--- | :--- | :--- |
|  | $3: n$ | $3: n$ |
|  | $2: p$ | $2: p$ |
|  | $1: x$ | $1: x$ |

Example: The probability of obtaining heads 15 times if a fair coin is tossed 30 consecutive times:

The stack should look like this before executing [BINO]:

| \{ HIME 3 USER |  |
| :---: | :---: |
| 4: |  |
| 3: | 30.80 |
| 2: | 0.50 |
| 1: | 15.00 |
|  | \|ratie |

Pressing [BINO], you obtain:

| [ HIME \} | USEK |  |
| :---: | :---: | :---: |
| 4: |  |  |
| 3: |  |  |
| 1: P[ | , | 0.14 |
| \|rind Pal |  | IPITSE |

## The Poisson distribution:

| To calculate | $\mathbf{P}[\mathbf{X}=\mathbf{x}]$ | $\mathbf{P}[\mathbf{X} \leq \mathbf{x}]$ |
| :--- | :--- | :--- |
|  | $2: \lambda$ | $2: \lambda$ |
|  | $1: \mathbf{x}$ | $1: \mathbf{x}$ |

Example: A shopkeeper wants to know the probability of less than 5 customers arriving in his shop between 3.00 pm and 4.00 pm . The expected number is 10 .

The stack should look like this before executing [POIS]


Pressing [ $\leftarrow$ ] [POIS], you obtain:


The Hypergeometric distribution:

| To calculate | $\mathbf{P}[\mathbf{X}=\mathbf{x}]$ | $\mathbf{P}[\mathbf{X} \leq \mathbf{x}]$ |
| :--- | :--- | :--- |
|  | 4: n | 4: n |
|  | 3: a | 3: a |
|  | 2: p | $2: \mathrm{p}$ |
|  | $1: \mathrm{x}$ | $1: \mathrm{x}$ |

Example: The probability of obtaining exactly 5 red balls when drawing 12 balls without replacement from an urn containing 100 balls, 30 of which are red.

The stack should look like:
Remember: $\mathrm{P}=30 / 100$

| ¢ HIME \} USEK |  |
| :---: | :---: |
| 4: | 100.00 |
| 3: | 12.80 |
| 2: | 0.30 |
| $1:$ | 5.00 |
| \|TIND| POI: |hipen|reati| | Tras.e |

Pressing [HYPER] you obtain:

| \{ HIME \} | U USEK |  |
| :---: | :---: | :---: |
| 4: |  |  |
| 3: |  |  |
| 1: P | $P[x=5.00]:$ | 0.16 |
| find Po | [IE: \|hipen |cearl | \|r10RE |

## The Geometric distribution:

| To calculate | $\mathbf{P}[\mathbf{X}=\mathbf{x}]$ | $\mathbf{P}[\mathbf{X} \leq \mathbf{x}]$ |
| :--- | :--- | :--- |
|  | $2: \mathbf{p}$ | $2: \mathbf{p}$ |
|  | $1: \mathbf{x}$ | $1: \mathbf{x}$ |

Example Playing Russian roulette with a six-barrel, you like to know the probability of being shot before or in the 5 round.

The stack should look like:
Remember: $\mathrm{P}=1 / 6$


Pressing [ $\leftarrow$ ] [GEOM], you obtain the not very encouraging answer:


The Normal distribution:

| To <br> calculate | $\mathbf{P}[\mathbf{X} \leq \mathbf{x}]$ |
| :--- | :--- |
|  | $3: \mu$ |
|  | 3: $\sigma$ |
|  | $1: x$ |

## The Chi square distribution:

| To <br> calculate | $\mathrm{P}[\mathrm{X} \leq \mathrm{x}]$ |
| :--- | :--- |
|  | $2: r$ <br> $1: x$ |

The Student -t distribution:
$\begin{array}{|l|l|}\hline \begin{array}{l}\text { To } \\ \text { calculate }\end{array} & P[X \leq x] \\$\cline { 2 - 2 } \& $\left.2: r \\ 1: x\end{array}\right]$

The Student -f distribution:

| To <br> calculate | $\mathbf{P}[\mathbf{X} \leq \mathbf{x}]$ |
| :--- | :--- |
|  | $3: \mathbf{r}_{1}$ <br> $2: r_{2}$ <br> $1: x$ |

## 7 The regression analysis (REGR) application

Regression analysis is concerned with estimating and predicting a dependent variable on the basis of one or more fixed explanatory variables. The HP 48SX/GX has a command for making a straight line fit (with several types of substitutions). However, ELINE is limited to regressor and gives no information about the fit.

The program REGR fits a model with an unlimited number of regressors. The program also gives additional information about the fit which enables the user to make inference from the model.

Mathematically speaking, the program fits a model of this form:

$$
\begin{equation*}
Y=b_{0}+b_{1} X_{1}+b_{2} X_{2}+\ldots . .+b_{k} X_{k}+e \tag{1}
\end{equation*}
$$

The terms used in this chapter are defined in most regression textbooks, so here are just a few comments:

- Regressor: A fixed non-random variable used to explain a dependent variable.
- Regression coefficients: The program estimates partial regression coefficients. A coefficient gives the direct, or "net" effect of a unit change in the regressor on the dependent variable. Speaking calculus, this means the partial derivative of (1) with respect to the regressor.
- Standard deviation of model: " s " is the estimated standard deviation about the regression line.
- RSQ: This is $\mathbf{R}^{2}$, also called the coefficient of determination.
- Analysis of variance (ANOVA): An illuminating way of looking at a statistical inference problem is to employ ANOVA. Loosely speaking, ANOVA decomposes the total sum of squares into to components; explained sum of squares (ESS) and residual sum of squares.
- Durbin-Watson statistic (d-w): A celebrated test for detecting serial correlation is that developed by statisticians Durbin and Watson. As a rule of thumb, if this statistic is found to be approx. 2 in a fit, one may that there is no first order autocorrelation. (either positive or negative).


## Regression analysis

The program uses the reserved variable $\Sigma$ DAT for calculations. You need to enter the data before starting the application.

To start the REGRESSION application you do the following:

1) Start the 48 Business $\mathrm{Pac}^{( }{ }^{( }$application by pressing [CST] [START].
2) Start the REGRESSION application by pressing [SUM] [REGR].

| To | Press | What happens |
| :---: | :---: | :---: |
| Start the application | [REGR] | The program checks to see if SDAT i present, then asks the user to specify a model. |
| Find the coefficients | [ $\beta$ ] | Calculates the coefficients, and returns them to the stack |
| Find the standard deviation of the coefficients | [S( $\beta$ )] | Calculates the standard deviation of the coefficients, and returns them to the stack |
| Perform ANOVA | [ ANOC] | Calculates estimates of ESS, RSS, RSQ the number of degrees of freedom associated with these, F-statistic and returns them to the stack. |
| Calculate Durbin- Watson statistic. | [D-W] |  |
| Make a scatterplot | [PLOT] | Plots a column in EDAT vs another column in $\Sigma$ DAT. |
| Quit the application | [EXIT] |  |

Example 1: The Capital asset pricing model (CAPM). Consider the CAPM of modern investment theory, which in its risk-premium form may be expressed as:
(1) $\left(E R_{i-r} f\right)=\beta i\left(E R_{m}-r f\right)$
where
$E R_{i}=$ Expected rate of return on security $\mathbf{i}$.
$\mathbf{E R}_{\mathbf{m}}=$ Expected rate of return on the market portfolio.
$\mathbf{r}_{\mathbf{f}}=\quad$ Risk free rate of return.
$\beta_{i}=\quad$ The Beta-coefficient, a measure of systematic risk, that cannot be eliminated through diversification. Also a measure of the extent to which its security's rate of return moves with the market.

If capital markets work efficiently, then CAPM states that security i's expected risk premium (=ERi-rf) is equal to that security's $\beta$ coefficient times the expected market risk premium (ERm-rf)

The following table gives data on the annual rates of return (\%) on Afuture Fund, a mutual fund whose primary investment objective is maximum capital gain, and on the market portfolio, as measured by the Fischer Index, for the period 1971-1980.

| Year | Return on <br> Afuture fund | Return on <br> Fischer Index |
| :--- | :---: | :---: |
| 1971 | 67.5 | 19,5 |
| 1972 | 19,2 | 8,5 |
| 1973 | $-35,2$ | $-29,3$ |
| 1974 | -42 | $-26,5$ |
| 1975 | 63,7 | 61,9 |
| 1976 | 19,3 | 45,5 |
| 1977 | 3,6 | 9,5 |
| 1978 | 20 | 14 |
| 1979 | 40,3 | 35,3 |
| 1980 | 37,5 | 31,0 |

Source: Weissenberg. Investment, Inv. Co. 1981
(1) can be rewritten as:

$$
Y_{i}=\alpha_{i}+\beta_{i} X i+\varepsilon_{i}
$$

where
$Y_{i}=$ Annual return rate on Afuture Fund
$X_{i}=$ Annual rate of return on the market portfolio
$\beta_{i}=$ slope of coefficients
$\alpha_{i}=$ the intercept
There is no consensus about the prior value of $\alpha_{i}$. Some results have shown it to be positive and some have shown it to be equal to 0 .

You can test the CAPM by using regression analysis:

KEYS
67.5 [ENTER]
19.5 [ENTER] 2: 67.5 1: 19.5 Enter the data row wise

## DISPLAY

...
$[\leftarrow]\left[] 10 / S P C] 2\right.$ 1: $\left[\begin{array}{lll}{[67.5} & 19.5 . . & \text { Make an array. }\end{array}\right.$ [ENTER] [PRG]
[OBJ] ([TYPE] on the GX) [ $\rightarrow$ ARR]

## DESCRIPTION

 Man1: [ [67.5 19.5..
$[\Sigma+]$
[CST] [START]
[SUM] [REGR] Regress $C$ on C..C Prompting for model
Selects the Stat menu
The program takes the data from EDAT
$[\leftarrow$ ] [STAT] (and [DATA] on the HP 48 GX )

Regress column 1 on column 2.

If you press [ $\leftarrow$ ] [MODES] (plus [FMT] on the HP 48 GX) 4 [FIX], and $[\rightarrow]$ /MENU];
your display should look like:

KEYS DISPLAY
[ $\beta$ ]
2: $\beta 0: 1.2797$
1: $\beta 1: 1.0691$
[S( $\beta$ )]

| $3:$ | $s$ |
| :--- | :--- |
| 2: | $S d(\beta 0):$ |
| 1: | $\operatorname{Sd}(\beta 1):$ |
|  | 7,6886 |
|  | 0.2383 |

DESCRIPTION
The coefficients are found.

Variance of the model Standard dev of $\beta 0$
Standard dev of $\beta 1$

You are now in a position to draw some statistical conclusions from the regression. First of all, by fitting the data you obtained an equation: (the standard deviations of the coefficients are given in parenthesis)

$$
\begin{equation*}
\mathrm{Y}=1.28+1.069 \mathrm{X} \tag{7,69}
\end{equation*}
$$

You can employ a formal test for the intercept term. The $t$-value is given by $1.28 / 7.69=0.167$. From this you can accept the hypothesis that the true intercept term is not different from zero.

Example 2. Per Capita consumption (PPCE) expenditure and per capita disposable income (PPDI) in the United States 1956-1980.

The following model has been proposed to explain PPCE in the United States:

$$
\text { PPCE }=b_{0}+b_{1} \text { PPDI }+b_{2} \text { TIME }
$$

In plain English, the equation says that PPCE is linearly related to PPDI and time. Time should be thought of as a trend variable. Our job is to determine the net effect these regressors have on the dependent variable.

The data for this example is given below.

| PPCE Y | PPDI | TIME |
| :---: | :---: | :---: |
| 1673 | 1839 | $1(=1956)$ |
| 1688 | 1844 | 2 |
| 1666 | 1831 | 3 |
| 1735 | 1881 | 4 |
| 1749 | 1883 | 5 |
| 1756 | 1910 | 6 |
| 1815 | 1969 | 7 |
| 1867 | 2016 | 8 |
| 1948 | 2126 | 9 |
| 2048 | 2239 | 10 |
| 2128 | 2336 | 11 |
| 2165 | 2404 | 12 |
| 2257 | 2487 | 13 |
| 2316 | 2535 | 14 |
| 2324 | 2595 | 15 |
|  |  | $(=1970)$ |

Source: Economic Report of the President, Jan. 1972

| KEYS | DISPLAY | DESCRIPTION |
| :--- | :--- | :--- |
| 1673 [ENTER] | $1: 1673$ | Enter the data row wise |
| 1839 [ENTER] | $2: 1673$ |  |
|  | $1: 1839$ |  |

$[\leftarrow] /\{ ] 15$ [SPC]
3 [ENTER] 1: \{15 3 \}
[PRG] [OBJ] ([TYPE] on the GX)
[ $\rightarrow$ ARR] [ [ 1673 1839...
Put the data into an array
[ $\leftarrow$ ] /STAT] ( and [DATA] on the GX)
[STOE] $([\leftarrow]$ [ $\Sigma D A T]$ on the GX)
Make the data the current EDAT
[CST] [START]
[SUM] [REGR] Regress $C$ on C..C Program asking for input

## 1 [SPC] 2 [SPC] <br> 3 [ENTER]

As a check, the data sums up to 29135, 31895 and 120.
(You can see this by pressing [ $\leftarrow$ ] /STAT] [NXT] [TOT])
First of all, find the estimates for the coefficients. Press [ $\leftarrow$ ] [MODES] (plus [FMT] on the HP 48 GX ) [STD] and [ $\rightarrow$ ] [MENU].

Press [ $\beta$ ]. The result is returned to the stack:


The interpretation of the results is: If both TIME and PPDI are fixed at zero value, the average value of PPCI is estimated at about $\$ 300$. As in most regression models, the technical interpretation of the intercept term should be taken with a grain of salt. The interpretation for the two other coefficients follows the same argument; Holding the other variable fixed, the net (or marginal) effect on the dependent variable is given by stack level 2 and 1.

Press [ $\mathrm{S}(\beta)$ ] to obtain the total variance and the standard errors:

| 8 HoME \% HALT | USER |
| :---: | :---: |
|  |  |
| 2: Sd( 31 ): $4.75337448 . .$. |  |
| Sd(82): |  |
| 2.98354 | 884 |
| Tril mNu | W1/PL |

The $t$-values are obtained by dividing $\beta_{\mathrm{i}}$ by its standard error, giving:

$$
\begin{aligned}
& t_{\beta 0}=3.84 \\
& t_{\beta 1}=15.61 \\
& t_{\beta 2}=2.69
\end{aligned}
$$

all of them significant at the $5 \%$-level of confidence. (See the chapter on probability distributions for how to do this.)

Next let's employ the ANOVAtechnique. Press [ANOV] to get:


Stack level 4 contains explained sums of squares with the associated \# degrees of freedom.
Stack level 3 contains residual sums of squares with the associated \# degrees of freedom.
Stack level 2 contains $\mathrm{R}^{2}$.
Stack level 1 contains the Fischer statistic for testing the hypothesis
$\mathrm{H}_{0}: \beta_{0}=\beta_{1}=\beta_{2}=0 \mathrm{vs}$
$H_{1}$ : all the coefficients are not simultaneously equal to zero
Given the magnitude of the F -statistic $\mathrm{H}_{0}$ is rejected.

## A few notes on the regression application

The regression application employs the ordinary least squares (OLS) method for calculating a regression problem. You should be aware of the "risks" involved when making least square calculations; Regression analysis rests on a few but important assumptions. Violating these, can result in erroneous estimates when applying OLS and therefore making the program useless. The program makes no tests to see if these assumptions holds (with the exception of the program

DW, used to detect autocorrelation). Please refer to a textbook on regression analysis to learn how to work around violation on these assumptions.

When running the program, you will notice that the HALTannunciator is turned on. The program uses "local variables" (as defined in the User's Manual). This is done to speed up calculations and to avoid the same calculations from being performed several times. Local variables takes up memory. Therefore, make sure you quit the application "properly" by pressing [EXIT] when finished. Pressing [KILL] or $[\leftarrow][C O N T]$ will do just as well.

## 8 The Currency conversion (CURRX) application.

To calculate with different currencies you can use the currency conversion application. To start it press [CST] [START][BUS] [CURRX]. If the CST menu label [START] and/or 'CURRdir' message is displayed in the stack, you have deleted your 'CURRdir' directory. To create another you then press $902[\leftarrow]$ [MEMORY ( $[\leftarrow] / L I B R A R Y]$ on the GX) [NXT] [ATTACH] [ $\alpha][\alpha]$ INSTALL and press [ENTER].

When you then press [CURRX] again your display will look like this:
You are now in the CURRdir directory created by the application. This is the default place to do any currency calculations.


To change this setup please read the Owners manual of your HP 48SX/GX to understand how to edit the CST menu, and how to purge and create directories. The CURR library is attached only to this directory to avoid any confusions of the customized currencies you enter. If the directory is purged you will have to attach library 902 to another directory to be able to use this application. (The INSTALL command automatically generates the CURRdir, detaches library 902 from the HOME directory and attaches it to this new directory.) All in all it is fast, easy and convenient to use the default setup. As a reminder the CURR library is only visible in the library menu from in the CURRdir directory.

When you enter CURRdir the first time it is invoked, the VAR menu contains only one variable; the CST. This is the defining list for the CuSTom menu which is selected by pressing the [CST] key. Once the custom menu is selected the [NEWR] [NEWC] [SETBA] menu labels described earlier show up.

The three menu keys do the following:

| Label | What happens when pressed |
| :--- | :--- |
| [NEWR] | Starts prompting program for storing new <br> currencies and/or new rates. |
| [NEWC] | Starts program to generate new CST menu after <br> more currencies are added using NEWR program. |
| [SETBA] | Starts prompting program for selecting a new base <br> currency. |

The first thing to do is to decide which base currency to use. In the following you will decide to use United States Dollars (commonly denoted USD in most medias) as the base currency. You then press the [SETBA] menu label to start the SETBASE program. After a few moments you are prompted with a new display, and you are ready to key in USD :

When this is done you press [ENTER] to store the base currency and end the program.


Remember that you cannot start any currency name or base currency with a number. A character has to be first in the name you select. If not, the SETBAse or NEWRate programs will halt with an error.

To store a new currency or to change an existing one you press the [NEWR] key. You are then ready to key in the name (short) of the currency, in this case NOK for Norwegian Kroner which rate is . 1538 USD or base units. You always key in the rate of new currencies expressed in terms of the BASE currency. If you change the base currency remember to change all other currencies' rates accordingly.


The alpha input mode is automatically selected, and you can key in NOK immediately. Then you press [a] to deselect alpha-input mode, and you press $[\downarrow]$ to move the cursor down to the RATE prompt. Then you key in . 1538 and press [ENTER] to store the new rate. If you just want to change or update existing currencies you can invoke
the VAR menu by pressing [VAR] while in the prompt mode and then press the menu label of the currency you want to change. Then you press $[\alpha]$ to deselect alpha-input mode, and you press $[\downarrow]$ to move the cursor down to the RATE prompt and key in the new rate before pressing [ENTER] to store it and end the operation.

Example: On your business trip to Europe you spent 205 British Pounds (GBP, rate 1.83), 1760 Norwegian Kroner (NOK, rate .1538) and 7588 French Francs (FFR, rate .1845). How many British Pounds are 7588 French Francs, and how many U.S. Dollars did you use in total on the trip?

Since you already have selected the BASE currency and keyed in the Norwegian Kroner currency and the according dollar rate, you can start off with defining the British pounds currency and rate. You press [NEWR] and key in GBP, deselect alpha mode by pressing [ $\alpha$ ]. Then press [ $\downarrow /$ to move the cursor down to the RATE prompt and key in the new rate 1.83 before pressing [ENTER] to store it. The whole operation is done again for FFR with the rate .1845 .

You are ready to update the custom menu, and to do that you press the [NEWC] menu key to start the NEWCST program. When this is done you press [CST] to see the new custom menu:

As you can see the new labels BASE NOK and GBP are visible, and if you press [NXT] to turn to the next menu page FFR can be seen.


You are now ready to key in the money spent; you press 205 and then [GBP], 1760 and then [NOK] and finally 7588 and [NXT] [FFR]. The display will look like this:

To convert French Francs to British Pounds you press [NXT] again to see menu page one and the conversion is done by pressing $[\leftarrow]$ [GBP] as the syntax is with all unit conversions.


You will see: 765.02 _GBP which is equivalent to 7588 French Francs.

Then you sum the three amounts by pressing $[+\Gamma\lceil+\rceil$. To calculate this amount in U.S. Dollars press [ $\leftarrow$ ] [BASE]:

If you are uncertain about what base currency is in use, press [VAR] and [BASE] to see 1_USD.

| \{ HIME CURRDIR \} |  |
| :---: | :---: |
| 4: |  |
| 3: |  |
|  |  |
| 1: 20 | 2053.74_BASE |
|  |  |

Remember to select the CST menu again to do more conversions. When you want to delete a currency press [ $\leftarrow$ ] / $\|$ then you can press [VAR] and the label(s) to delete before entering the list to the stack with [ENTER]. Then the labels are easily purged with [ $\leftarrow$ ] [PURGE]. If you want to update the custom menu after you have removed some currencies, you first purge the 'CST' variable in the VAR menu. Then you press [ $\alpha][\alpha]$ NEWCST and [ENTER] to build a new custom menu based on the currency variables in the VAR menu.

NOTE: The NEWCst program assumes that all variables in the VAR menu in the CURRdir directory are currencies. For your own convenient use please keep only currency variables in the VAR menu and go to the HOME directory or another directory when not doing currency calculations.

## 9 Business Calculations (BUS)

The 48B includes four programs for calculating business percentage problems. These are:

- Percent change: The difference between two numbers expressed as a percentage of one of the numbers.
- Percent of total: The portion that one number is of another, expressed as a percent.
- Markup as a percent of cost: The difference between price and cost expressed as a percentage of cost.
- Markup as a percent of price: The difference between price and cost expressed as a percentage of price.

To start the programs, press [CST] [START] [BUS] and the appropriate key ( $[\% \mathrm{CHG}]$, [\%TOTL], [MU\%C] or [MU\%P] )

## Percent Change

The [\%CHG] menu consists of three variables, [OLD], [NEW] and [\%CHG]. By entering values for two of the variables, you can calculate the third.

Example: The Hewlett Packard 32SII calculator is currently selling for $\$ 70$. To boost sales, it is put on a special offer of $\$$ 56.95. What is the percent change?.

KEYS
DISPLAY
[CST] [START]
[BUS] [\%CHG]
menu
70 [OLD] OLD: $70.00 \quad$ Stores 70 in OLD
56.95 [NEW] NEW:56.95 Stores 56.95 in NEW
$[\leftarrow][\% \mathrm{CHG}] \quad 1 \mathrm{ECHG}-18.64 \quad$ Calculates \%CHG

## Percent of Total

The [\%TOTL] menu consists of three variables, [TOTA], [PART] and [\%T]. By entering values for two of the variables, you can calculate the third.

Example: Hotfingers Inc. is an equal opportunity employer. 47,8 \% of the staff counting 19120 people, is female. How many female employees are there ?

| KEYS | DISPLAY | DESCRIPTION |
| :---: | :---: | :---: |
| [CST] [START] <br> [BUS] [\%TOTL] |  | Selects the \%TOTL menu |
| 47,8 [\%T] | *TOTAL: 47.80 | Stores 47.8 in \%T |
| 19120 [TOTA] | TOTAL: 19120.00 | Stores 19120 in TOTL |
| $[\leftarrow][P A R T]$ | 1:PART: 9139.36 | Calculates PART |
| Markup on Cost |  |  |

The [MU\%C] menu consists of three variables, [COST], [PRICE] and [ $\mathrm{M} \% \mathrm{C}$ ]. By entering values for two of the variables, you can calculate the third.

Example: Peter is selling pens. On average he pays $\$ 1.25$ for the pens. He offers them to his customers for $\$ 1.85$. What is his markup on cost?

KEYS
DISPLAY
[CST] [START]
[BUS] [MU\%C]
menu

| 1.25 [COST] | COST 1.25 | Stores 1.25 in COST |
| :--- | :--- | :--- |
| 1.85 [PRICE] | PRICE 1.85 | Stores 1.85 in PRICE |
| $[\leftarrow][M \% C]$ | $1:$ MU\&C: 48.00 | Calculates MU\%C |

## Markup on Price

The [MU\%P] menu consists of three variables, [COST], [PRICE] and [ $\mathrm{M} \% \mathrm{P}$ ]. By entering values for two of the variables, you can calculate the third.

Example: Refer to the previous example. What is the markup on price? (This example assumes that no changes have been made since the last example)

| KEYS <br> $[\rightarrow][M E N U]$ <br> $[B U S][M U \% P]$ | DISPLAY | DESCRIPTION |
| :--- | :--- | :--- |
| $[\leftarrow][\mathrm{M} \% \mathrm{P}]$ | $1: \mathrm{M} \% \mathrm{P}: 32.43$ | Selects the MU\%P <br> menu |
|  |  | Calculates M\%P |

## 10 The Depreciation (DEPRC) application

The depreciation application calculates values for depreciation and remaining depreciable balance for a given year. The methods available are:

- Declining balance (DB)
- Sum of the years digits (SOYD)
- Straight line (SL)
- Accelerated Cost Recovery System (ACRS)

To display the depreciation menu, press [CST] [START] [FIN] and [DEPRC]

| Key | What it does |
| :--- | :--- |
| [BASIS] | Stores ([ $\rightarrow$ ] recalls) the depreciable-cost basis of the <br> asset at acquisition |
| [SALV] | Stores ([ $\rightarrow$ ] recalls) the salvage value at the end of its <br> useful life. The default value is SALV=0 |
| [LIFE] | Stores ([ $\rightarrow$ ] recalls) the expected useful life (in whole <br> years) of the asset |
| [ACR\%] | Stores ([ $\rightarrow$ ] recalls) the appropriate ACRS percentage <br> from the published ACRS tables. |
| [ACRS] | Calculates the ACRS deduction based on BASIS and <br> ACRS\% |
| $[\leftarrow \leftarrow]$ | Displays the values for BASIS, SALV, LIFE, ACR\%, <br> YR\# and FAC\% |
| [YORE] | Stores ([ $\rightarrow$ ] recalls) the number of the year for which <br> the depreciation will be calculated |
| [FAC\%] | Stores ([ $\rightarrow$ ] recalls) the declining-balance factor as a <br> percentage of the straight line rate. |
| [DB] | Calculates the declining-balance depreciation for the <br> year and RDV* |
| [SOYD] | Calculates the SOYD depreciation for the year and <br> RDV* |
| [SL] | Calculates the straight-line depreciation for the year <br> and the RDV |

* RDV denotes (Remaining Depreciable Value) = Basis - SALV accumulated depreciation.


## Depreciation calculations (SL, DB and SOYD)

1) Select the DEPRC menu by pressing [CST] [START] [FIN] and [DEPRC]
2) Enter the cost basis and press [BASIS]
3) Enter the salvage value (if any) and press [SALV]
4) Enter the life of the asset and press [LIFE]
5) Press [MORE] to change menu page
6) Enter the year for which you want to calculate depreciation or
7) For the declining-balance method: Enter the DB factor (as a percentage of SL) and press [FACT]
8) Press $[\leftarrow]$ [DB], $[\leftarrow]$ [SOYD] or $[\leftarrow][S L]$ to calculate the appropriate depreciation and RDV
9) For another year, enter the new year and press [YR\#] and repeat (7)

Example: A precious add-in card for the Hewlett Packard 48 SX/GX, purchased for $£ 5000$, is to be depreciated over 10 years. Its savage value is estimated at $£ 1000$. Calculate the depreciation for year 4 using 3 different methods. Use a DB factor of $200 \%$.

## KEYS

## [CST] [START]

[FIN] [DEPRC]

## 5000 [BASIS]

1000 [SALV]
10 [LIFE]
[MORE]
4 [YR\#]

200 [FAC\%]

DISPLAY
DESCRIPTION

Select DEPR menu
Purchase price
Salvage value
Useful life
Change menu page
Fourth year of depreciation

DB factor

## Pressing [ $\leftarrow$ ] [MORE], your diplay should look like:



| $[\leftarrow][D B]$ | 2:RDV | 1048.00 |  |
| :---: | :---: | :---: | :---: |
|  | 1:DB 5 | 512.00 | DB-case |
| $[\leftarrow][S O Y D]$ | 2:RDV: | 1527.27 | SOYD-case |
|  | 1:SOYD: | :509.10 |  |
| $[\leftarrow][S L]$ | 2:RDV: | 2400.00 |  |
|  | 1:SL: | 400.00 | SL-case |

Depreciation for the ACRS method

1) Select the DEPRC menu by pressing [CST] [START] [FIN] and [DEPR]
2) Enter the cost basis and press [BASIS]
3) Consult a table published by the Internal Revenue Service that list the percentage of an assets basis that can be deducted each year of its prescribed life. Enter this vale and press [ACR\%]
4) Press $[\leftarrow]$ [ACRS] to calculate the value of the deduction.

## 11 The Instalment Loan (INST) application

The [INST] application lets you calculate interest and remaining balance of a loan with fixed down payments.

To display the Instalment menu, press [CST] [START] [FIN] and [INST].

Your display should look like:

| \{ HIME \} | USER |
| :---: | :---: |
| 4: |  |
| 3: |  |
| 2: |  |
| 1: |  |
| [BASE] | (\#) PrIT |


| Key | What it does |
| :--- | :--- |
| $[$ BASE $]$ | Stores ( $[\rightarrow]$ recalls) the original loan amount |
| $[1 \%]$ | Stores ( $[\rightarrow]$ recalls) the periodic interest rate |
| $[$ INST $]$ | Stores ( $[\rightarrow]$ recalls) the fixed instalment. This is <br> usually a fraction of the original loan |
| $[P E R \#]$ | Stores ([ $\rightarrow$ ] recalls) the period for which calcu- <br> lations are made |
| $[\leftarrow][P M T]$ | Calculates the payment (interest + instalment) and <br> remaining balance |
| $[$ VIEW $]$ | Displays the values for BASE, I\%, INST and PER\# |

## Loan calculations

To calculate a loan with fixed instalments:

1) To display the [INST] menu, press [CST] [START] [FIN] and [INST]
2) Enter the value of the loan and press [BASE]
3) Enter the periodic interest rate and press [1\%]
4) Enter the instalment and press [INST]
5) Enter the period ( $1,2,, \mathrm{~N}$ ) and press [PER\#]
6) To calculate the payment (interest+instalment) and remaining balance for a given period, press $[\leftarrow][P M T]$

Example: A mortgage. You have just borrowed $\$ 100000$ for a house purchase. The loan is to be paid back with semi-annual instalments over a period of 20 years. The interest rate is $8 \%$ p.a. Calculate the payments for period 1 and 10 .

| KEYS [CST] [START] [FIN] [INST] | DISPLAY | DESCRIPTION Select INST menu |
| :---: | :---: | :---: |
| 100000 [BASE] | BASE: 100000 | Loan amount |
| $\begin{aligned} & 8 \text { [ENTER] } \\ & 2[/][1 \%] \end{aligned}$ | 1\%: 4.00 | Semi-annual interest |
| $\begin{aligned} & 100000 \text { [ENTER] } \\ & 40 \text { [/] [INST] } \end{aligned}$ | INST: 2500 | Fixed instalment |
| 1 [PER\#] | PER\#: 1.00 | The first period |
| $[\leftarrow][P M T]$ | $\begin{aligned} & \text { 2: PMT: }-6500 \\ & \text { 1:Balance: } 97 \end{aligned}$ |  |
| 10 [PER\#] | PER\#: 10.00 | The 10 period (year 5) |
| [ $\leftarrow$ ] [PMT] | $\begin{aligned} & \text { 2: PMT:-5600 } \\ & \text { 1:Balance: } 75 \end{aligned}$ |  |

## 12 The Time (TIME) application

The time menu is selected by pressing /CST] [START] [TIME]. There are four menu keys:

| Label | What happens when pressed |
| :--- | :--- |
| [CALC] | Selects calc menu for calculating with date <br> arithmetics, day of week and timer functions. |
| [APPT] | Selects the Alarm menu of the HP 48SX (an <br> equivalent to [ $\leftarrow$ ] /TIME] [ALRM]). See chapter <br> 24 of the HP 48SX Owners manual for <br> information on usage. |
| [ADJST] | Selects the time adjustment menu of the HP 48SX <br> (an equivalent to [ $\leftarrow$ ] [TIME] [ADJST]). See <br> chapter 24 of the HP 48SX Owners manual for <br> information on usage. |
| [SET] | Selects the time set menu of the HP 48SX (an <br> equivalent to [ $\leftarrow$ ]/TIME] [SET]). See chapter 24 <br> of the HP 48SX Owners manual for information <br> on usage. |

The Time Calc menu contains 8 menu keys:

| Label | What happens when pressed |
| :--- | :--- |
| [DDAYS] | Calculates real days between dates in level 1 and <br> 2. |
| [D360] | Calculates days between dates in level 1 and 2 <br> based on a 360-day year. |
| $[$ D365] | Calculates days between dates in level 1 and 2 <br> based on a 365-day year (not counting leap <br> years). |
| [DATE +$]$ | Adds number of days in level 1 to date in level <br> 2. |
| $[$ TODAY $]$ | Recalls todays date. <br> [TSTRT] <br> pressed/executed. |
| [TSTOP] | Stores the time at the moment it is pressed and <br> calculates the difference in time since [TSTRT] <br> was pressed/executed last. |
| $[$ DOW] | Calculates the Day Of Week from date in level 1. |

Example 1: What number of days passed between January 1st 1974 and May 2nd 1988 ?

Key in 1.011974 and press [ENTER], then you key in* 5.021988 and press [DDAYS] to calculate the number of days between the dates in level 1 and level 2.


Example 2: What date is 245 days after September 14th 1991 ?
Key in 9.141991 and press [ENTER], then you key in 245 and press [DATE + ] to calculate the date when level 1 days added to the date in level 2 .


Example 3: What day of week was September 14th 1991 ?


Example 4: To time any interval in seconds press [TSTRT] or include this function in a program. A variable, [tim\$], will be generated holding this time. When for instance after 10 seconds [TSTOP] is executed, the time at this moment will be calculated and subtracted from [tim $\$$ ], thus giving the time passed in seconds.

Press [TSTRT], wait for about 10 seconds, then press [TSTOP] .


[^4]
## 13 The Print (PRINT) application

The 48 Business $\mathrm{Pac}^{\text {© }}$ also contains a print menu. It is selected by pressing [CST] [START] [MORE] [PRINT]. The menu labels in this menu is as follows;

| Press | What it does |
| :--- | :--- |
| $[$ PR1 $]$ | Sends stack level 1 contents to printer port. |
| $[$ PRLCD $]$ | Sends LCD contents to printer port. |
| $[$ PRST $]$ | Sends all stack levels contents to printer port. |
| $[$ PRVAR $]$ | Sends contents of variables in list to printer port. |
| $[$ CR $\leftarrow]$ | Sends a Carriage Return (new line) to printer port. |
| $[P I C T U R E]$ | The [VPLOT] application. |

## The [VPLOT] application:

This function plots a function plot with a 90 degree rotation, so that it can be printed on the infrared printer as a bigger plot than usual. Not all types of functions can be printed correctly, due to the complex procedure to rotate every pixel using a parametric plot to turn the coordinates. Up to 3 simultaneous functions can be plotted. If in doubt whether your plot can be rotated or not, try it out!

Example: A Sine curve. Try plotting a sine curve and rotate it. First you key in [ $\leftarrow$ ] [RAD] ['] [SIN] [ $\alpha$ ] [X] [ENTER] [ $\leftarrow$ ] [PLOT] ([ $\leftarrow][E Q]$ [NXT] [AUTO] [NXT] [DRAW] on the HP 48 GX ) and [STEQ] [PLOTR] [AUTO] on the HP 48 SX .

After some time the plotting stops, and you can press [ATTN] to restore the normal display. Then you start the application by pressing /CST] [START] [MORE] [PRINT]. Press the rightmost menu key with the paper turn picture. After some time the plotting stops and the plot can be inspected after pressing [ $\leftarrow$ ] /GRAPH] ([ $\leftarrow]$ [PICTURE] on the HP 48 GX ) and by pressing the arrow keys. When done press [ATTN] to restore the normal display. A graphical object is now present on the stack. You can store it as a variable in the VAR menu, but since it takes up a lot of space ( 4566 bytes of your precious 32768 or 131072 on the HP 48 GX ) this is not recommended! It is better to print it at once using the [PR1] key. Try it out to see the following:


This concludes the print menu.

## Appendix A: Equations used by the 48 Business Pac ${ }^{\circ}$

## Business calculations

$$
\begin{aligned}
& \% \text { chg }=\frac{(\text { new }- \text { old })}{\text { old }} \times 100 \\
& \% \text { tota }=\frac{\text { part }}{\text { total }} \times 100 \\
& m \% c=\frac{(\text { price }-\cos t)}{\text { cost }} \times 100 \\
& m \% p=\frac{(\text { price }- \text { cost })}{\text { price }} \times 100
\end{aligned}
$$

## Financial equations

TVM
$0=\mathrm{PV}+\left(1+\frac{\mathrm{Iyr} \%}{100 \mathrm{per}} * \mathrm{~s}\right) \mathrm{PMT}\left[\frac{1-\left(1+\frac{\mathrm{Iyr} \%}{10 \mathrm{per}}\right)^{-\mathrm{per}}}{\frac{\mathrm{Iyr} \%}{100 \mathrm{per}}}\right]+\mathrm{FV}\left(1+\frac{\mathrm{Iyr} \%}{100 \mathrm{per}}\right)^{\text {-per }}$
where $s=1$ in "BEG" - mode

## INTEREST CONVERSION

For periodic compound

EFF\% $=\left[\left(1+\frac{\text { NOM }}{100 \mathrm{per}}^{\text {per }}\right)^{-1}\right] * 100$

For continuous compound
$\mathrm{EFF} \%=\left[\exp \left(\frac{\text { NOM\% }}{100 \mathrm{per}}\right)-1\right] * 100$

## CASHFLOW CALCULATIONS

$N P V=c f l w_{0}+\sum_{k=1}^{N} \frac{\operatorname{cflw}_{i}}{\left(1+\frac{i \%}{100}\right)^{k}}$

The internal rate of return, $\operatorname{IRR} \%$, is defined as the solution $\mathrm{i} \%=\mathrm{i}^{*}$ to the equation above.

## BOND CALCULATIONS

For more than one period to redemption


For less than one period to redemption
PRICE $=\frac{\text { CALL }+\frac{\mathrm{CPN} \%}{M}}{\left(1+\frac{Y}{M}\right) \frac{E-A}{E}}-\left(\frac{\mathrm{A}}{\mathrm{E}} * \frac{\mathrm{CPN} \%}{M}\right)$
where
A = \# of accrued days
$\mathrm{E}=$ days in period. (180/360 for a $30 / 360$-days calendar)
DSC = \# days to next coupon date
$N=\#$ period to redemption $=\operatorname{ceil}\left(\operatorname{int}\left(\frac{\Delta \text { days }(\text { SETT;MAT })}{E}\right)\right)$

## AMORTIZATION

$\mathrm{n}=\#$ periods
$\mathrm{INT}_{\mathrm{i}}=$ Interest paid in period i
$\mathrm{INST}_{\mathrm{i}}=$ Principal in period i
$P V_{i}=$ Balance after period $i$
$\mathrm{PRN}_{\mathrm{i}}=\mathrm{PMT}-\mathrm{INT}_{\mathrm{i}}$
$\mathrm{INT}_{1}=0$ if $\mathrm{i}=0$, and BEG-mode, else $\left|\mathrm{PV}_{0} * i \%\right| * \operatorname{sign}(\mathrm{PMT})$
$\mathrm{INT}_{\mathrm{i}}=\left|\mathrm{PV}_{\mathrm{i}-1}{ }^{*} \mathrm{i} \%\right|^{*} \operatorname{sign}(\mathrm{PMT})$
$\mathrm{PV}_{\mathrm{i}}=\mathrm{PV}_{\mathrm{i}-1} \mathrm{PRN}_{\mathrm{i}}$

## DEPRECIATION

$\mathrm{L}=$ Expected life
SBV = Initial cost
SAL = Salvation value
FACT = Factor of depreciation
i = Period
$\mathrm{RDV}_{\mathrm{i}}=$ Remaining depreciable value

## STRAIGHT LINE

$$
\mathrm{DPN}_{\mathrm{i}}=(\mathrm{SBV}-\mathrm{SAL}) / \mathrm{L}
$$

## SOYD

$\operatorname{SOYD}_{\mathrm{k}}=\frac{(\mathrm{w}+1)(\mathrm{w}+2 \mathrm{~F})}{2}$
where

$$
\mathrm{w}=\text { Integer part of } \mathrm{k}
$$

$\mathrm{f}=$ Fractional part of k
$D P N_{i}=(L-i+1) / S O Y D_{k}(S B V-S A L)$

## DECLINING BALANCE

$\mathrm{DPN}_{\mathrm{i}}=\mathrm{RDV}_{\mathrm{i}-1} \mathrm{FACT} / 100 \mathrm{~L}$

## OPTION VALUATION

value of a call
Call $=P * N\left(d_{1}\right)-E X * \exp \left(-r_{f} t\right) * N\left(d_{2}\right)$
where
$d_{1}=\frac{\ln \left(\frac{P}{E X}\right)+r_{f} t+\frac{\sigma^{2}}{2}}{\sigma \sqrt{t}} d_{2}=\frac{\ln \left(\frac{P}{E X}\right)+r_{f} t-\frac{\sigma^{2}}{2}}{\sigma \sqrt{t}}$
$N(d)=$ cumulative normal density function
EX = exercise price of option
$\mathrm{t}=$ time to execise date
$\mathrm{P}=$ price of asset
$\sigma^{2}=$ variance per period of rate of return on the asset
$r_{f}=$ risk free rate of interest

## VALUE OF A PUT

Value of a put $=$ Value of call $+\mathrm{PV}(E X)$ - stock price

## DATE ARITHMETIC

## THE GREGORIAN CALENDAR

$\Delta$ days $=f\left(d_{2}\right)-f\left(d_{1}\right)$
where
$f(d)=365($ yyyy $)+31(\mathrm{~mm}-1)+d d+\mathrm{INT}(z / 4)-\mathrm{x}$
for $\mathrm{mm}<2: x=0$ and $x=y y y y-1$
for $\mathrm{mm}>2: \mathrm{x}=\mathrm{INT}(0.4 \mathrm{~mm}+2.3)$ and $\mathrm{z}=\mathrm{yyyy}$

## THE 360-DAY CALENDAR

$\Delta$ days $=f\left(d_{2}\right)-f\left(d_{1}\right)$
$f(d t)=360$ (yyyy) $+30 \mathrm{~mm}+\mathrm{z}$
For $f\left(d_{1}\right)$ :
if $\mathrm{dd}_{1}=31$ then $\mathrm{z}=30$
For $f\left(d_{2}\right)$ :
if $\mathrm{dd}_{2}=31$, and $\mathrm{dd}_{1}=30$ or 31 , then $\mathrm{z}=30$
if $\mathrm{dd}_{2}=31$, and $\mathrm{dd}_{1}<30$ or 31 , then $\mathrm{z}=\mathrm{dd}_{2}$
if $\mathrm{dd}_{2}=<31$ then $\mathrm{z}=\mathrm{dd}_{2}$

## Appendix B: Variable management on the 48 .

The 48B uses a special technique to manage user defined variables. Instead of creating variables in every application, it uses an array to keep track of the application variables. The variables are stored in an array named ' $B \Sigma$ '. This variable name should be considered "reserved" when the 48B-card is installed. The array consists of 41 entries, using 347 bytes of user memory when present.
The table below gives the entry number and the name of the variable it holds a value for.

| ENTRY \# | NAME | ENTRY <br> $\#$ | NAME |
| :--- | :--- | :--- | :--- |
| 1 | NEW-\%CHG | 22 | CPN\%-BONDS |
| 2 | OLD-\%CHG | 23 | CALL-BONDS |
| 3 | \%CHG-\%CHG | 24 | YLD\%-BONDS |
| 4 | PART- <br> \%TOTAL | 25 | PRICE-BONDS |
| 5 | TOTAL- <br> \%TOTAL | 26 | N-TVM |
| 6 | \%T-\%TOTAL | 27 | I\%YR-TVM |
| 7 | PRICE-MU\%C | 28 | PV-TVM |
| 8 | COST-MU\%C | 29 | PMT-TVM |
| 9 | MU\%C-MU\%C | 30 | FV-TVM |
| 10 | MU\%P-MU\%P | 31 | \#PER-TVM |
| 11 | BASIS-DEPR | 32 | BASE-INST |
| 12 | SALV-DEPR | 33 | I\%-INST |
| 13 | LIFE-DEPR | 34 | INST-INST |
| 14 | ACR\%-DEPR | 35 | PER-INST |
| 15 | YR\#-DEPR | 36 | not used |
| 16 | FAC\%-DEPR | 37 | PRICE-OPTION |
| 17 | NOM\%-IRRC | 38 | STRIKE-OPTION |
| 18 | EFF\%-IRRC | 39 | YLD\%-OPTION |
| 19 | N-IRRC | 40 | TIME-OPTION |
| 20 | SETT-BONDS | 41 | STDEV-OPTION |
| 21 | MAT-BONDS |  |  |

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[^0]:    * If you do not see [START] in the menu after pressing [CST] turn to the part A word about installing the 48B Pac on page 5.

[^1]:    * For Explanation of CFD's, see page 6.

[^2]:    *Not all types of bonds can be calculated exactly with this program Please refer to the end of this chapter for a guide to some common types solved on the 48B Pac.

[^3]:    * A common convention in calculating corporate bonds in the United States is that if the coupon rate equals the yield percent, then the price of the bond is set to 100 whether the settlement date is a coupon date or not. If the price is 100, the yield is set to the coupon rate. The 48B does not use this convention.

[^4]:    * Remember to select date convention from the $[\leftarrow]$ [TIME] [SET] menu. In this example we have used MM.DDYYYY.

